

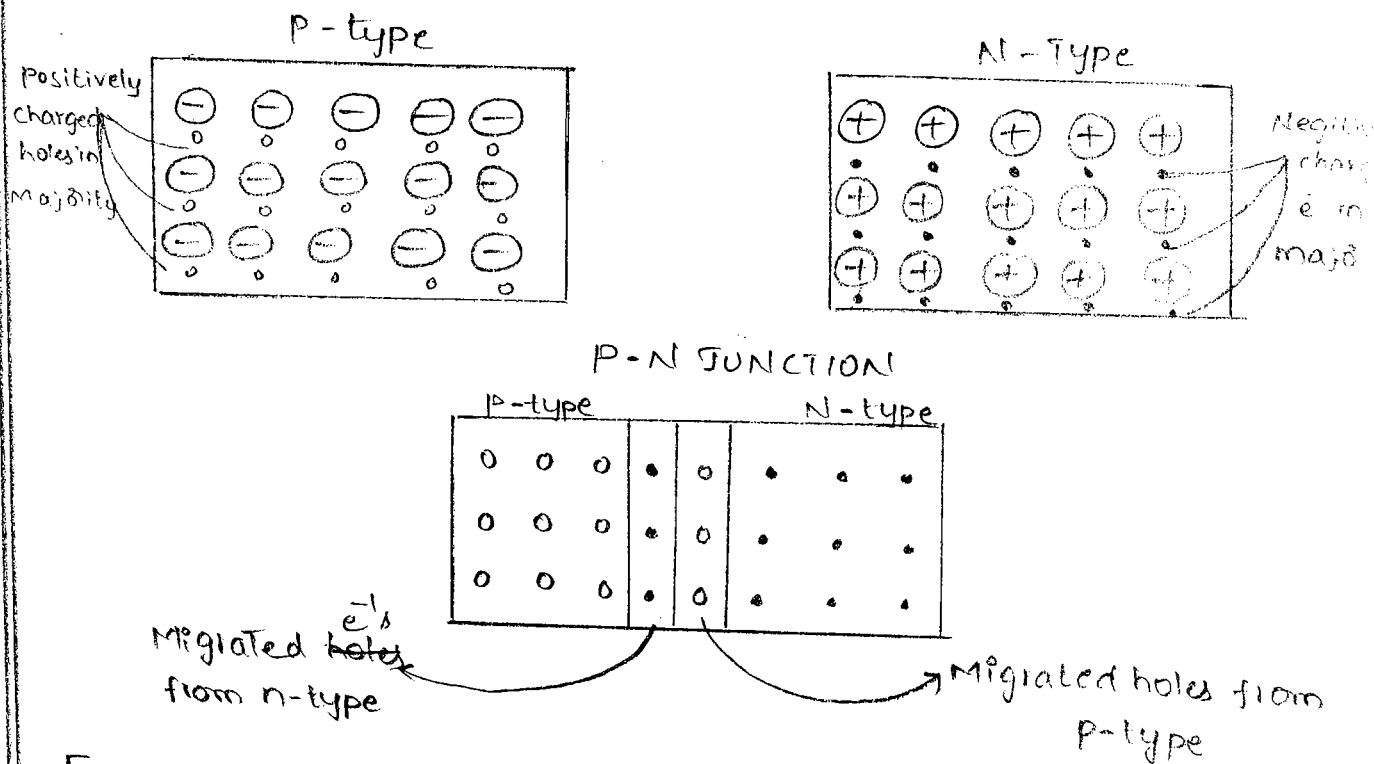
# 5 - Rectifiers & Linear IC's 2-1 civil

BEEE UNIT=5

## P-n Junction Diode :-

When a p type material is intimately joined to n type then a p-n Junction is formed. The below diagram shows the p type & n type semi conductor before they are joined. In p type semi conductor has negative acceptor ions & positively charged free holes which about moves on p-side.

Similarly -n-type semi conductor has positively donor ions and negatively charged free electrons which move about n side.



### Function :

In p-type material has high concentration of holes and n-type material has high concentration of free electrons and hence there is a tendency of holes to diffuse over to n-side & e<sup>-</sup> to

p-side. This process is known as Diffusion.

Diode Symbol :-



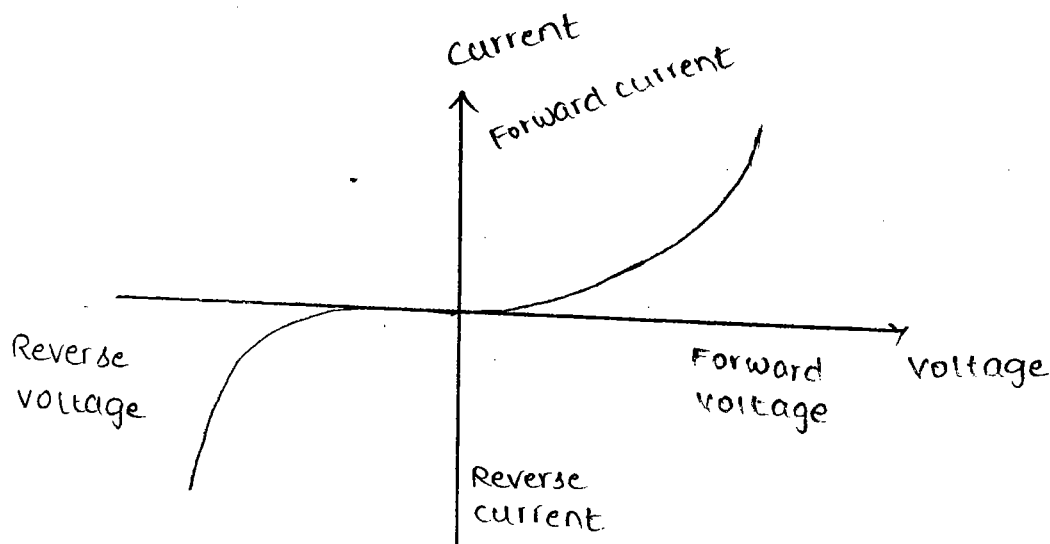
Forward Biased Diode :-

When an external voltage is applied to p-n junction in such a following way the positive terminal of the battery is connected to p-type while the negative terminal is connected to n-type then it is called Forward Biased Diode.

Reverse Biased Diode :-

When an external voltage is applied to p-n junction in such a following way the positive terminal of the battery is connected to n-type while the negative terminal of the battery is connected to p-type then it is called Reverse Biased Diode.

V-I Characteristics of P-n Junction diode :-

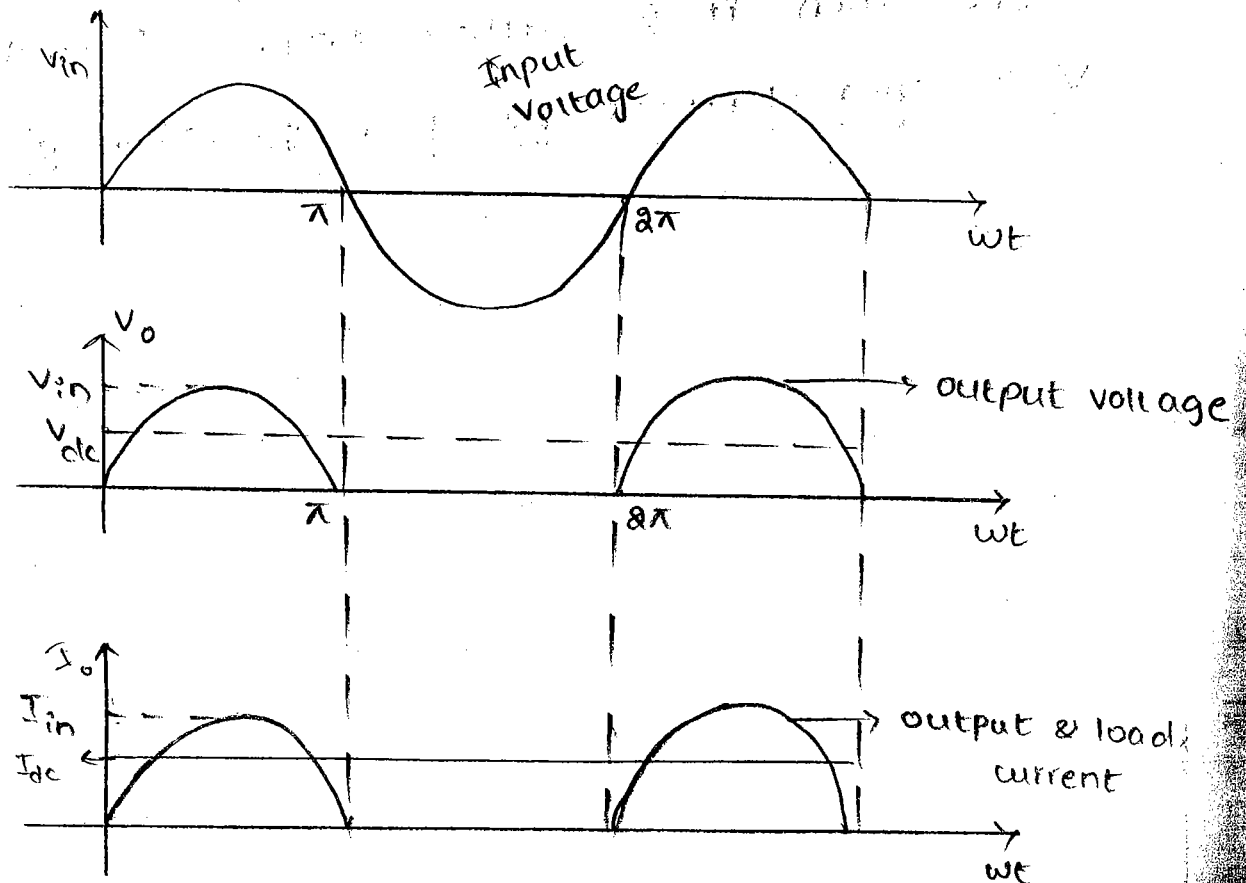
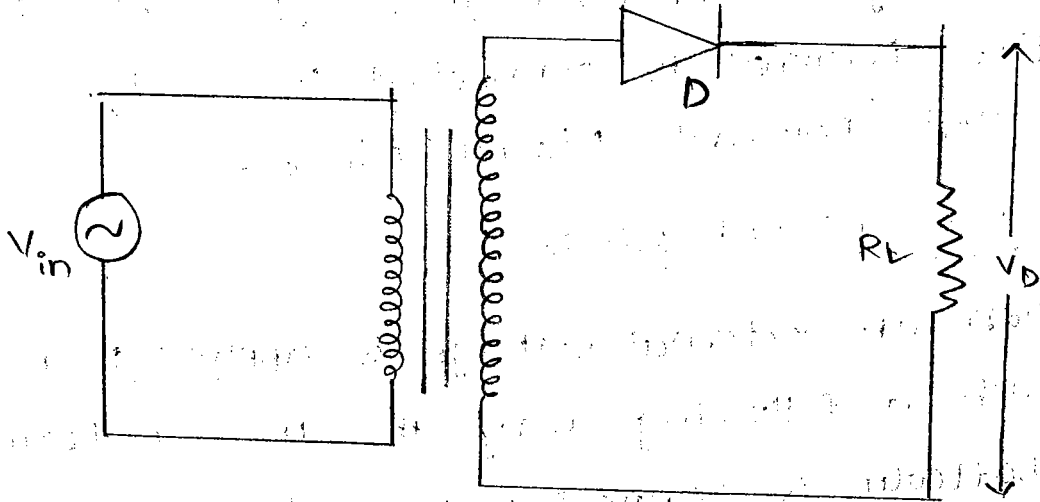


## Rectifier :-

A Rectifier is defined as an electronic device used for converting AC voltage (or) current into uni-directional voltage (or) current (D.C)

For this purpose a uni directional conduction device such as p-n Junction Diode is used.

## Half wave Rectifier :-



In this half wave rectifier AC voltage to be rectified is applied to a single Diode connected in series with a load resistance ( $R_L$ ) as shown in above dig

### Working of Half wave Rectifier : —

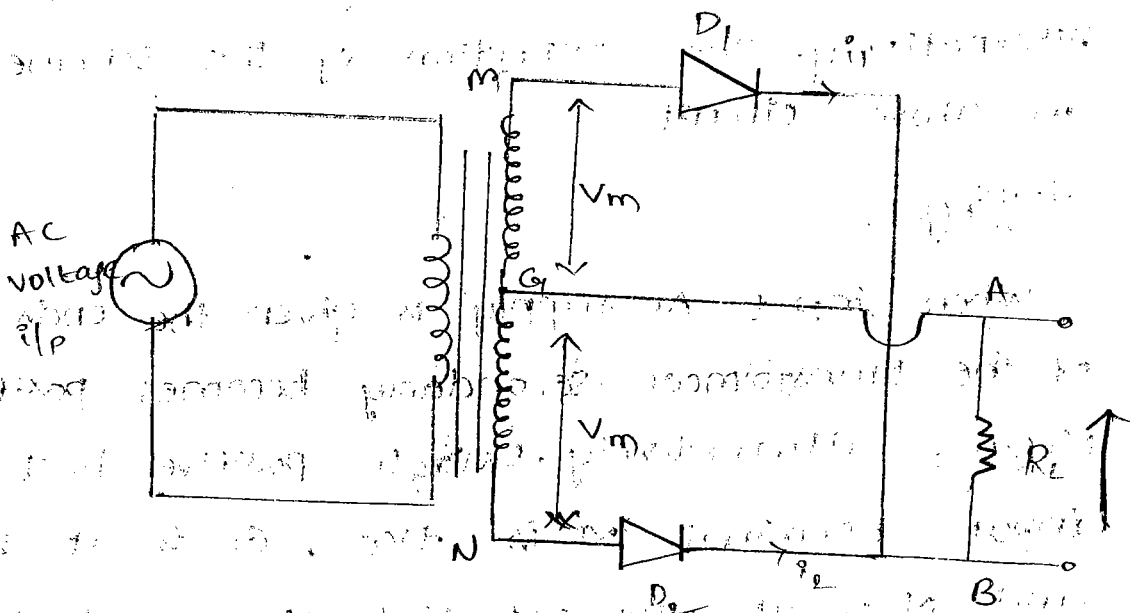
For the positive half cycle of Input AC voltage the diode 'D' is forward Biased and hence it conducts. Now a current flows in the circuit and there is a voltage drop across ( $R_L$ ). This output voltage <sup>& current</sup> as shown in above graph.

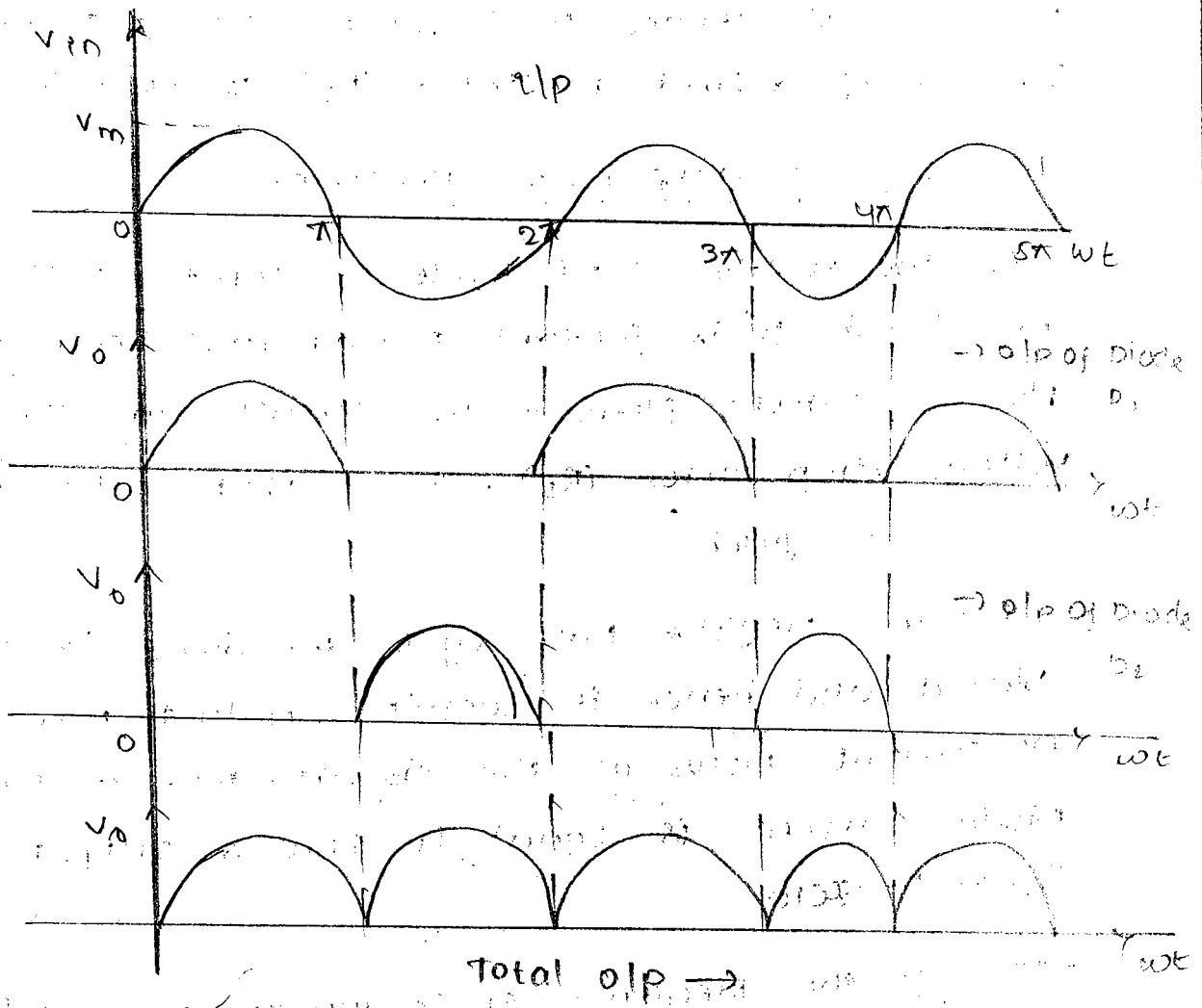
For the Negative half cycle the diode 'D' is reverse Biased and hence it doesn't conduct. Now there is no current flows in the circuit i.e load current (0). Diode current is Equal to zero & output voltage is

- Equal to zero.

- thus for the Negative cycle no power is delivered to the load

### Full Wave Rectifier :





In full wave Rectifier both Half cycle of the input are utilized with the help of two diodes working Alternatively. The connection of this scheme as shown in above circuit

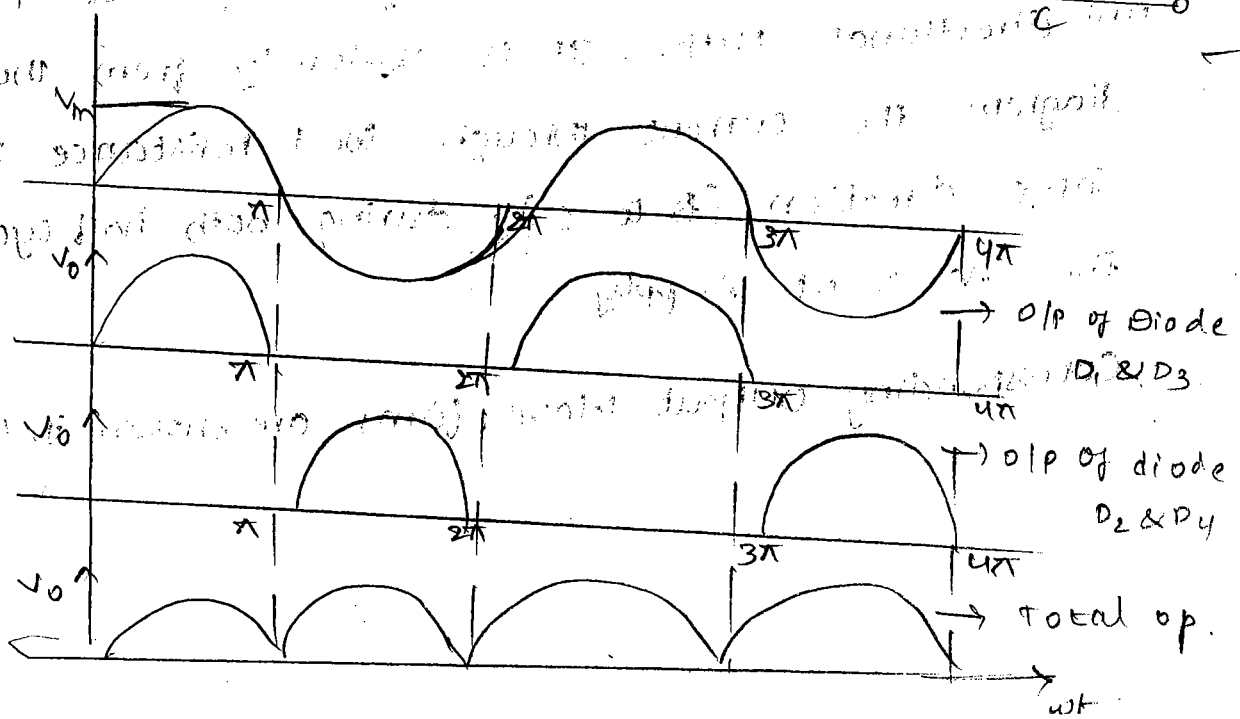
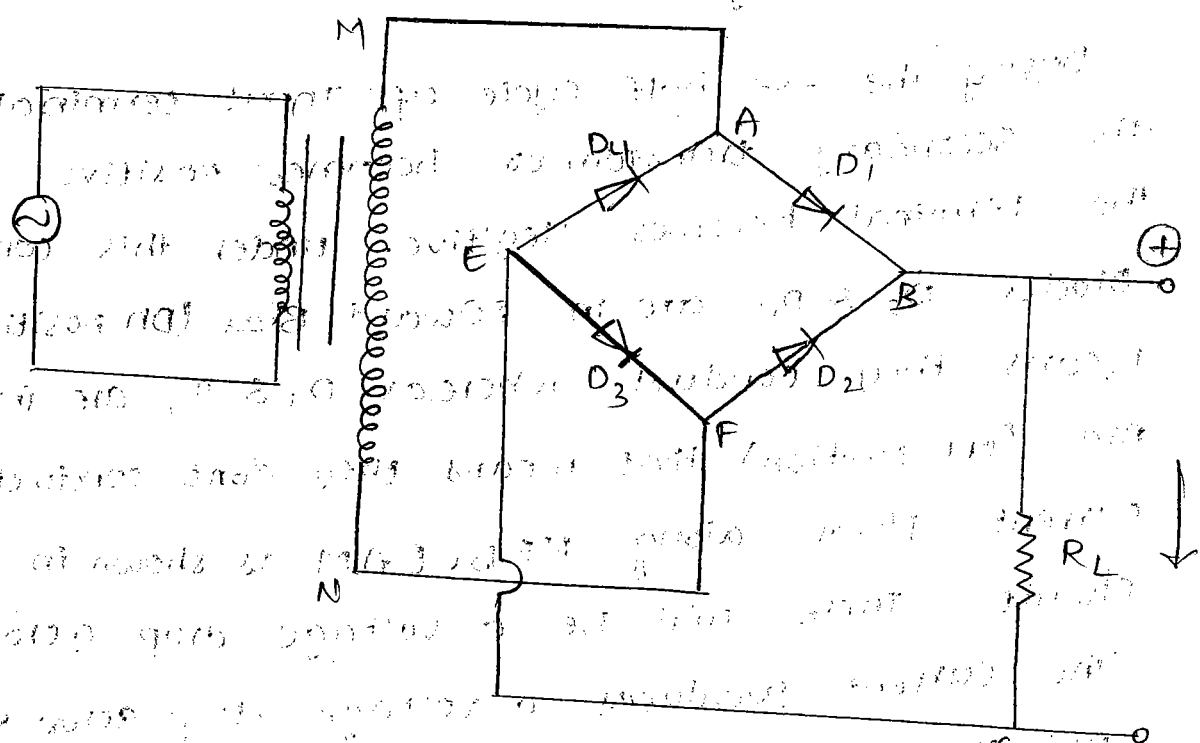
Working :-

When input AC supply is given the ends m & N of the transformer secondary becomes positive & Negative alternatively. During to positive half of ac input terminal M is +ve, G is at zero potential and N is at -ve potential. Now, a diode  $D_1$  is Forward Biased that means it conducts and causes a current ( $i_1$ ) in load Resistance ( $R_L$ )

Diode  $D_2$  remains non conducting being reverse Biased.

During the negative half cycle terminal N becomes +ve, G is at zero potential & M is at -ve potential. Now, a Diode  $D_2$  ~~is in Reverse Bias~~ conducts and current  $i_2$  flows through the load Resistance  $R_L$ . Diode  $D_1$  is non conducting thus the current flows through  $R_L$  in the same direction (from A to B) in both cycles of AC input.

Bridge Rectifier



The above diagram shows the full wave bridge rectifier and corresponding output wave forms.

During the +ve half cycle of input, terminal m attains positive of secondary of transformer, while the terminal N is negative. In this situation Diode  $D_1$  &  $D_3$  are in Forward Bias (On position) that means they conduct whereas diodes  $D_2$  &  $D_4$  are in Reverse Bias (Off position) that means they don't conduct. So the current flows along  $\odot$  MABCEFN as shown in above circuit. There will be a voltage drop across  $R_L$ .

During the -ve half cycle of input terminal n of the secondary transformer becomes positive while the terminal m becomes negative. Under this condition diodes  $D_2$  &  $D_4$  are in Forward Bias (On position) that means they conduct whereas  $D_1$  &  $D_3$  are in Reverse Bias (Off position) that means they don't conduct. So the current flows along  $\odot$  NFBCEAM as shown in above circuit. There will be a voltage drop across  $R_L$ .

The current produces a voltage drop across  $R_L$  in uni directional path. It is obviously from the above diagram the current through load resistance is in same direction (B to C) during both half cycles of the AC input supply.

Corresponding output wave forms are shown in above

## Advantages:

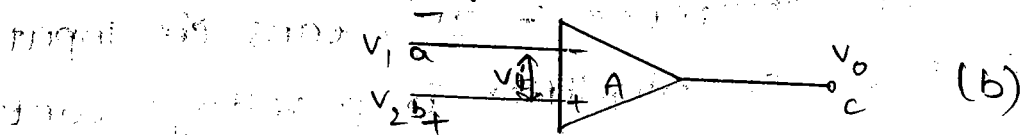
- \* No centre tap is required on transformer
- \* It is suitable for high voltage application

## Operational Amplifiers: — (Op Amp)

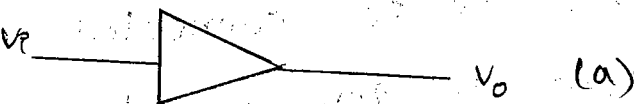
An op amp with high gain and high input impedance used especially in circuits for performing mathematical operations on an input voltage.

## Circuit symbol for op amp: —

Inverting



Non Inverting



Standard Rectangular symbol is generally used for an op amp. The early operational amplifiers had only one input and one output terminal as shown in (a). The output was always inverted w.r.t input.

The op amp's now available are usually of differential type with 2 input terminals and a single <sup>out</sup> input terminal as shown in (b).

The negative sign indicates that the signal applied at the terminal 'a' will appear amplified but phase inverted (opposite polarity) at terminal 'c'. Similarly the terminal 'b' is called non-inverting input terminal here the positive sign indicates that a signal



applied at the terminal 'B' will appear amplified but inphase (same polarity) at terminal 'c'.

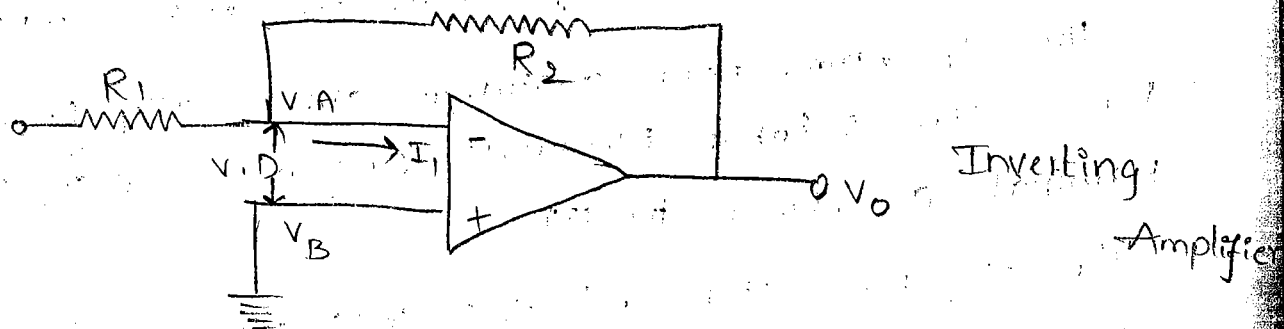
The output voltage is directly proportional to the input voltage which is difference of  $V_1$  &  $V_2$  that means

$$V_{in} = V_2 - V_1$$
$$V_o \propto V_{in}$$

### Characteristics of (Op-Amp) :-

- \* It has an Infinite voltage gain.
- \* It has an Infinite Band width
- \* Infinite Input Resistance - It means the input current is zero.  $\therefore$  Amplifier is a voltage control Input device
- \* Zero output Resistance - It means  $V_o$  is Independent of the load resistor connected across op.
- \* The output is zero - when equal voltages are applied at the two input terminals  $V_2 = V_1$

### Virtual ground concept of an op-Amp :-



This is an important concept of an op amp. It plays a virtual role while deriving the expression for op voltage

$V_B$  is a potential defined at Non inverting I/P

$V_A$  is a potential defined at feed back point of <sup>I/P</sup> inverting

$V_D$  is the diff blw  $V_B$  &  $V_A$  i.e.  $V_D = V_B - V_A$

According to Ideal characteristics of Op-Amp

Input Resistance  $R_i$  is Infinite.  $\therefore$  The current entering into the op Amp ( $I_i$ ) will be zero that means differential voltage  $V_D$  will be zero

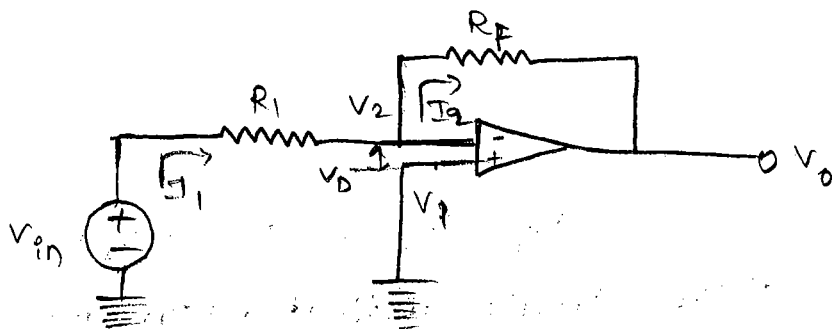
$$V_D = V_B - V_A = 0 \Rightarrow V_B = V_A$$

Note :

The Node voltage  $V_B$  at positive terminal is same as the Negative feed back Node point  $V_A$

Applications of an Op Amp : —

1 Inverting Amplifier : —



The above diagram shows the Inverting Amplifier. Its Non-inverting I/P terminal is grounded where has the external input signal  $V_{in}$  is applied to the Inverting I/P through resistance  $R_1$ . A Feed back Resistance  $R_f$  connected from O/P to Inverting I/P terminal of the op Amp.

According to virtual ground concept  $V_1 = V_2$

Apply KCL at Node  $V_2$ ,

$$I_{in} = i_1 + i_f$$

$$I_{in} = i_f \quad (\because i_1 = 0)$$

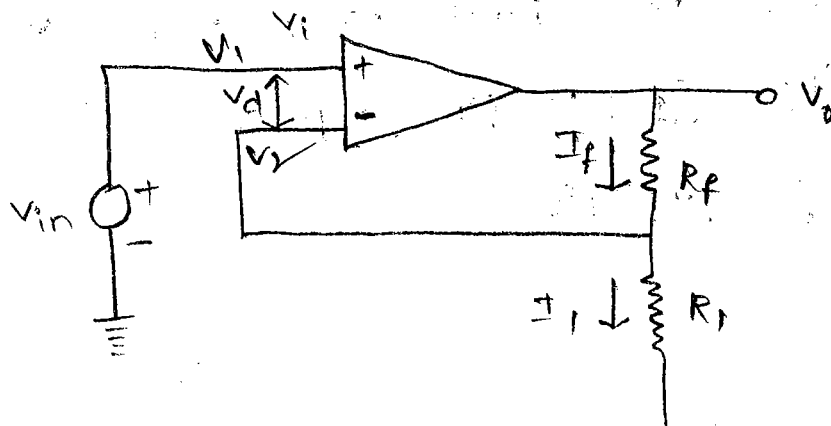
$$\frac{V_{in} - V_2}{R_1} = \frac{V_2 - V_0}{R_f}$$

$$\text{As } V_1 = 0 \Rightarrow V_2 = 0$$

$$\frac{V_0}{V_{in}} = -\frac{R_f}{R_1} \rightarrow \text{gain Equation}$$

Here the Negative sign indicates that the Input & Output voltages are out of phase by  $180^\circ$

### Non Inverting Amplifier :-



$$V_{in} = V_2 \quad (\because V_1 = V_2)$$

In the above circuit indicates non inverting Amplifier with feed back (or) closed loop Non inverting Amplifier

In this case inverting <sup>terminal of</sup> Amplifier is grounded through Resistance  $R_1$  & o/p is applied to the Inverting ~~if~~ terminal through Feed Back circuit composed of a Resistors  $R_f$  &  $R_1$  according to virtual Ground concept

$$V_{in} = V_2 \quad (\because V_1 = V_2)$$

$$I_f = I_1$$

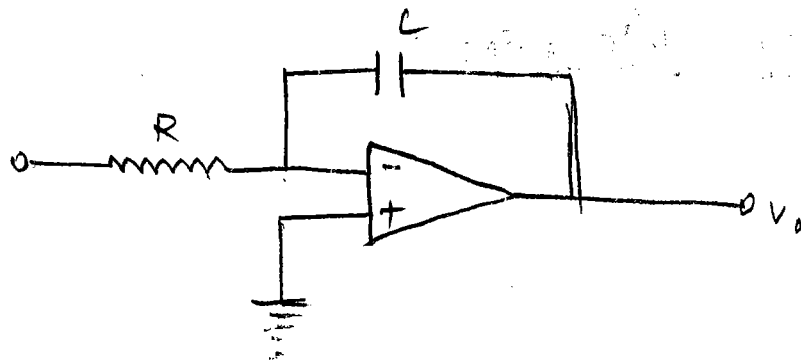
$$\frac{V_0 - V_{in}}{R_f} = \frac{V_{in}}{R_1}$$

$$\frac{V_o}{R_f} = \frac{V_{in}}{R_1} + \frac{V_{in}}{R_f}$$

$$\frac{V_o}{V_{in}} = 1 + \frac{R_f}{R_1} \rightarrow \text{gain eq}$$

In the above expression  $R_f$  &  $R_1$  are +ve & gain is also positive also there is no phase inversion.

OP Amp Integrator : —



An Integrator is a circuit that performs a mathematical operation called Integration. Integration is a process of continuous addition. The most popular application of an Integrator is to produce a ramp of op voltage which is a linearly increasing (or) decreasing voltage. The feed back is through capacitor 'c' instead of Resistor  $R_f$ . From the above dig

According to virtual ground concept

$$0 - V_o = V_c$$

$$V_o = -V_c$$

$$V_o = -\frac{1}{c} \int i dt = -\frac{1}{c} \int \frac{V_{in}}{R} dt$$

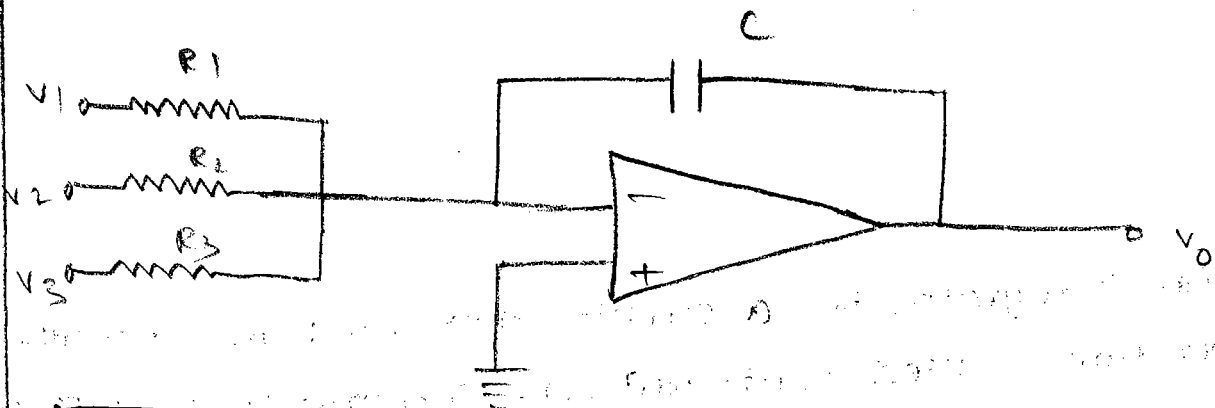
$$V_o = -\frac{1}{T} \int V_{in} dt$$

where,  $T = RC$  (Time constant)

## Note :

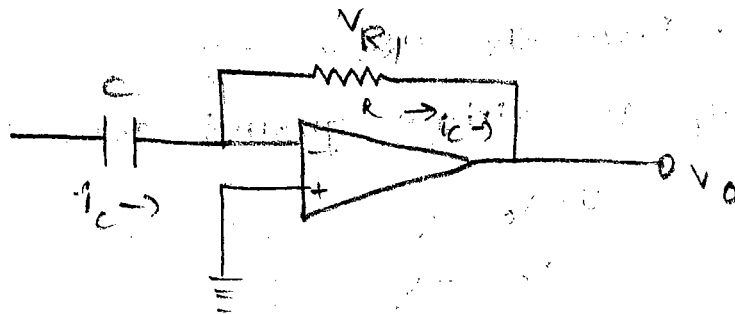
1. If the I/p voltage is step voltage the o/p voltage will be a ramp (or) linearly change in voltage
2. If the I/p voltage is square wave the o/p voltage is triangular wave
3. If the I/p voltage is sinusoidal wave the o/p voltage will be cosine wave

## Summing Integrator :



$$V_0 = - \left[ \frac{1}{R_1 C} \int V_1 dt + \frac{1}{R_2 C} \int V_2 dt + \frac{1}{R_3 C} \int V_3 dt \right]$$

## Op Amp Differentiator :



Differentiator circuit can be obtained by interchanging Resistor and capacitor of Integrator circuit. <sup>Note</sup> The common Application of op Amp Differentiator is to produce very narrow spikes.

2 A cosine wave i/p will generate sine wave o/p

3. A triangular i/p will produce square wave o/p

$$i_c = C \frac{dv}{dt}$$

$$0 - v_a = v_a$$

$$v_o = -v_a$$

$$v_o = -i_c R = -RC \frac{dv}{dt}$$

$$v_o = -RC \frac{dv_i}{dt}$$

$$v_o = -\tau \frac{dv}{dt}$$